

### 3.3 – Data Displays: Categorical versus Quantitative

#### Data Display # 1 – Categorical

– **categorical variable (in a display)** → data that can be displayed using names or labels

**Ex:** 1.) blonde, brunette, red, black, etc. → category = hair (colors)

2.) red, yellow, green, purple, etc. → category = colors

3.) collie, shepherd, terrier, labrador, etc. → category = dog breeds

▪ **pie chart** – a type of categorical data display which uses a circle divided into sectors where each “slice” represents a portion of the whole (percents %)

▪ **bar graph** – a type of categorical data display which uses numerical labels that's represented by rectangles of equal width (note: between each “bar” – there are gaps) (histograms → no gaps)

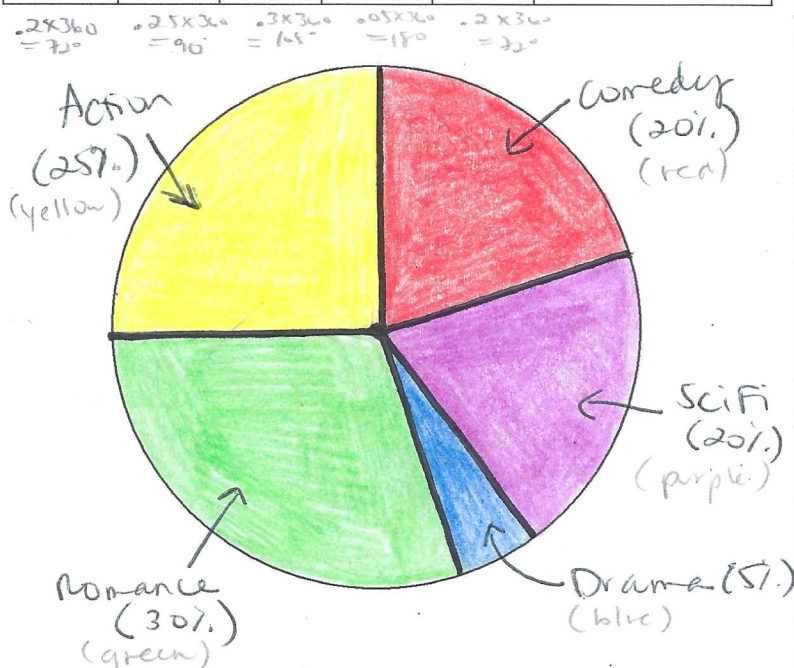
**Example 1:** Express the following data as a pie chart and a bar chart.

Carly did a survey with her friends about their favorite type of movies:

Class Survey: Favorite Type of Movie				
Comedy	Action	Romance	Drama	SciFi
4	5	6	1	4

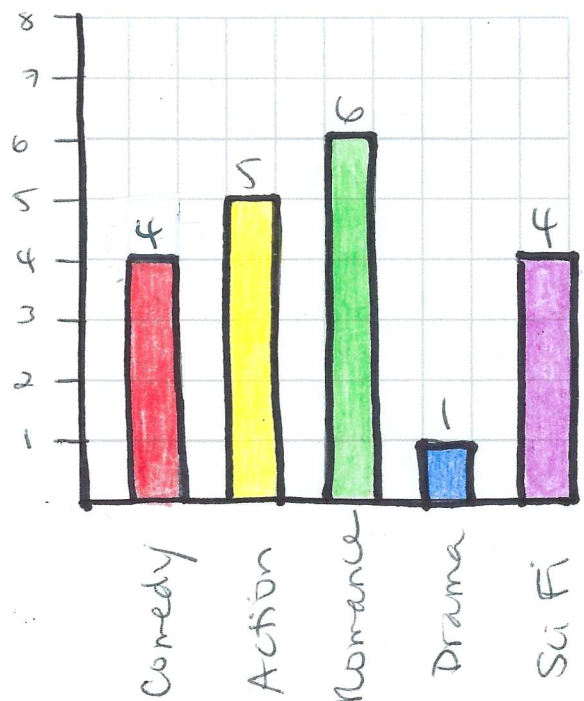
Data Display # 1 – Categorical: Pie Chart

Comd	Act	Rom	Dram	SciFi	Total
4	5	6	1	4	Total # = 20
20%	25%	30%	5%	20%	Total % = 100%
72°	90°	108°	18°	72°	Total Deg = 360°



Data Display # 1 – Categorical: Bar Graph

Title: Favorite Type of Movie



## Data Display # 2 – Quantitative

– **quantitative variable (in a display)** → data that can be displayed using numerical values

**Ex:** 1.) 1.2 million, 4.3 million, 2.5 million, etc. → category = population or money

2.) 8 lb, 9 lb, 12 lb, 27 lb, etc. → category = weights

3.) 36 inches, 23 inches, 48 inches, etc. → category = heights or lengths

▪ **stem-and-leaf plot** – a type of quantitative data display that is organized from least → greatest and separated into 2 columns (mainly useful for organizing long list of numbers)

▪ **box-and-whisker plot** – a type of quantitative data display that is organized in quartiles (4 equal parts) and shows the “spread” (min/max, median, range (and outliers)) of a set of data

5 number summary = min, LQ, median, UQ, and max

**Example 2:** Express the following data as a stem-and-leaf plot and a box-and-whisker plot.

The class scores on a 50-item test are shown in the table below.

<del>71</del>	<del>95</del>	<del>84</del>	<del>98</del>	<del>88</del>	<del>74</del>
<del>90</del>	<del>89</del>	<del>86</del>	<del>42</del>	<del>99</del>	<del>86</del>
<del>91</del>	<del>73</del>	<del>66</del>	<del>87</del>	<del>89</del>	<del>80</del>

### Data Display # 2 – Quantitative: Stem-Leaf Plot

Steam	Leaf
4	2
5	
6	6
7	1 3 4
8	0 4 6 6 7 8 9 9
9	0 1 5 8 9

Find the following:

a.) mean: 82.7 b.) median = 86.5

c.) mode: 86 and 89 d.) range = 57

e.) variance: 176.9 (5<sup>2</sup>) (13.3<sup>2</sup>)

f.) standard deviation: 13.3 (5)

### Data Display # 2 – Quantitative: Box-Whisker Plot

**minimum (min)** → the lowest # that is not an outlier

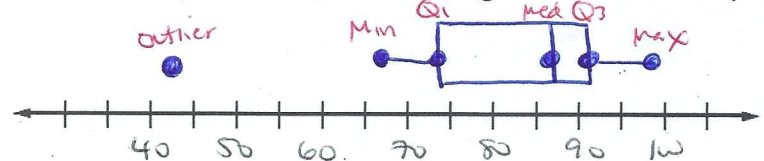
**maximum (max)** → the highest # that is not an outlier

**lower quartile (LQ / Q1)** → median of lower half of data

**upper quartile (UQ / Q3)** → median of upper half of data

**interquartile range (IQR)** → range of the middle half of data and contains 50% of data set:  $IQR = UQ - LQ$

**outlier** → an element of a set of data that's at least 1.5 IQR less than the LQ or 1.5 IQR greater than the UQ



Min = 66 LQ = 74

Max = 99 UQ = 90

Median = 86.5 IQR = 90 - 74 = 16

Any outliers? lower bound = 74 - 1.5(16) = 50

upper bound = 90 + 1.5(16) = 114

42 < 50 → 42

\* Note:  $LB = Q1 - 1.5(IQR)$   
 $UB = Q3 + 1.5(IQR)$